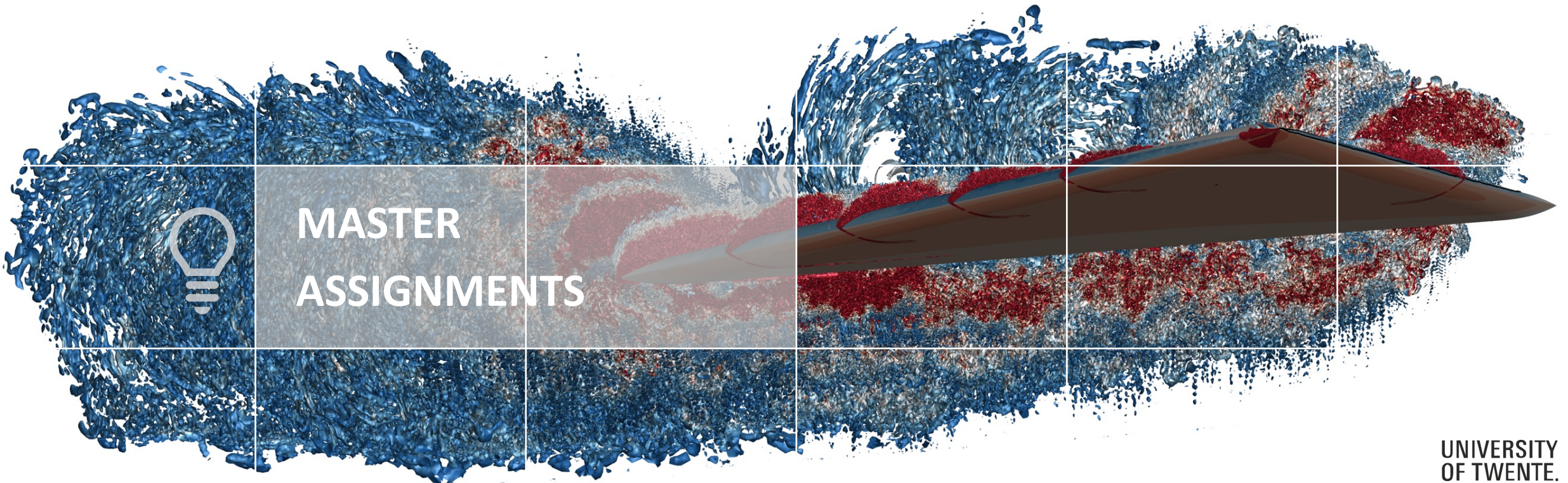
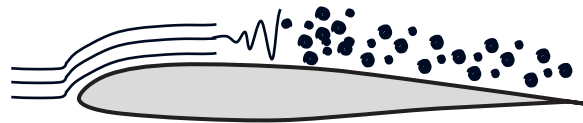


Transition-Transport Modelling:

3) Grid-point local approximation of boundary-layer quantities using Machine Learning



LAMINAR-TURBULENT TRANSITION AND ITS PREDICTION



2

For many applications in aerodynamics it is essential to consider the laminar-to-turbulent transition and to know in which region this transition is happening. For this purpose, a wide range of methods exists that enable the **prediction** of the transition at different levels of fidelity.

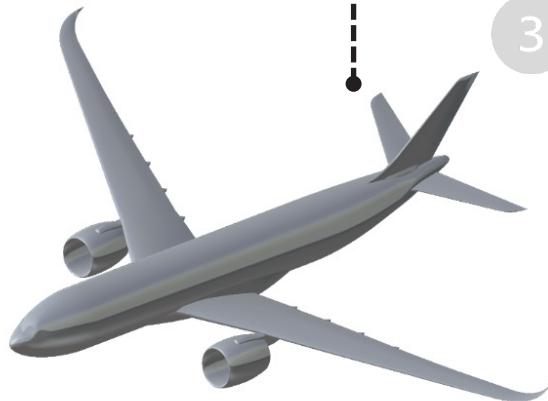
$$\frac{\partial(\rho\phi)}{\partial t} + \nabla \cdot (\rho \mathbf{u}\phi) = \mathcal{P}_\phi + \nabla \cdot ((\mu + \mu_t)\sigma_\phi \nabla\phi)$$

4

In this context, one strategy to **maintain the predictive quality of a high-fidelity method** like local, linear stability theory in conjunction with e^N method within a transition transport model is the incorporation of Machine Learning methods.

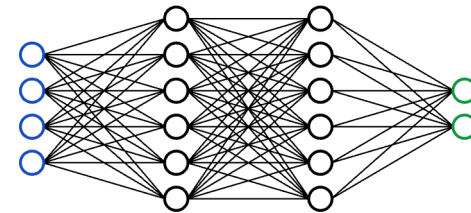
1

The laminar-to-turbulent transition is the process of a **laminar flow becoming turbulent**. Depending on the mechanism this process is caused by instabilities growing exponentially and eventually turning the flow into a chaotic, turbulent state.



3

A class of methods pioneered by Menter and colleagues in the early 2010s are known as local (correlation-based) transition-transport models [1]. They adhere to the principal of **being fully compatible with modern computational fluid dynamics software**, offering additional advantages such as robustness and user-friendliness. However, a drawback of these methods is that they may sacrifice accuracy in pursuit of these benefits.



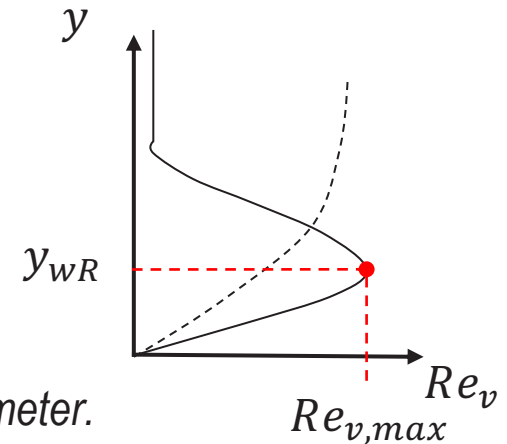
ASSINGMENT 3: *Grid-point local approximation of boundary-layer quantities using Machine Learning*

Research question:

Is it possible to approximate integral boundary-layer quantities with grid-point local data using Neural Networks?

Problem description:

- In a grid-point local transition transport model it is crucial to provide quantities that characterize the state of the boundary-layer. For this purpose, **integral boundary layer quantities** are used (as the shape factor H_{12}).
- The challenge is to estimate these parameters **solely by utilizing local grid-point quantities** within a simulation, i.e. $\mathcal{F}: \zeta \mapsto \mathcal{L}$, where ζ is the grid-point local quantity and \mathcal{L} the integral parameter.
- The current state-of-the-art approach involves employing **data fits derived from self-similar laminar solutions**, as shown in references [1, 2, 3, 4]. However, this method has inherent limitations. To potentially overcome these constraints, an **alternative approach is to utilize Neural Networks: $\mathcal{F}_{\mathcal{L}}: \eta_i \mapsto \mathcal{L}$** .



ASSINGMENT 3: *Grid-point local approximation of boundary-layer quantities using Machine Learning*

Research question:

Is it possible to approximate integral boundary-layer quantities with grid-point local data using Neural Networks?

Tasks in this assignment:

- ✓ Reproduction of curve fits $\mathcal{F}: Re_{v,max} \mapsto Re_{\theta}$ for
 - ✓ Blasius solution: zero pressure gradient laminar flat plate
 - ✓ Falkner-Skan solution: wedge flow for different constant pressure gradients β
- ✓ Establishment of a comprehensive database comprising laminar profiles across a broad spectrum of flow conditions using CFD.
- ✓ Identification of suitable (local) input parameters and training of a Neural Network.
- ✓ Application:
 - ✓ Verification for test cases within the database.
 - ✓ Generalizability: Validation across additional test cases.



Piqued your interest?

Reach out!

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